

A QUEUING MODEL-BASED INCENTIVE SCHEME FOR OPTIMAL DATA TRANSMISSION IN WIRELESS NETWORKS WITH SELFISH NODES

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OUTLINE

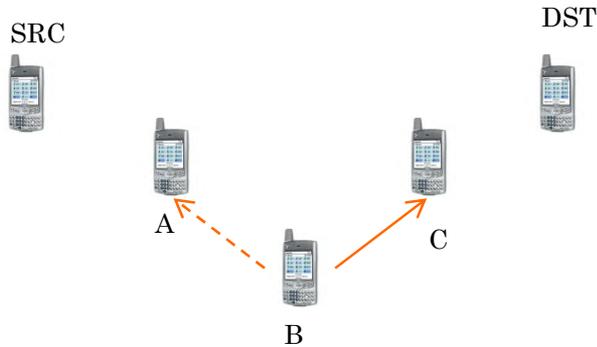
- Introduction
- Credit-based Queuing Analysis Approach
- Network Simulation
- Conclusion

INTRODUCTION

- Self-organized multi-hop networks depends on the cooperation among nodes for transmission.
- Two Type of uncooperative nodes:
 - Malicious Nodes
 - Selfish Nodes
- Stimulation approaches:
 - Reputation-based mechanism
 - Credit-based mechanism

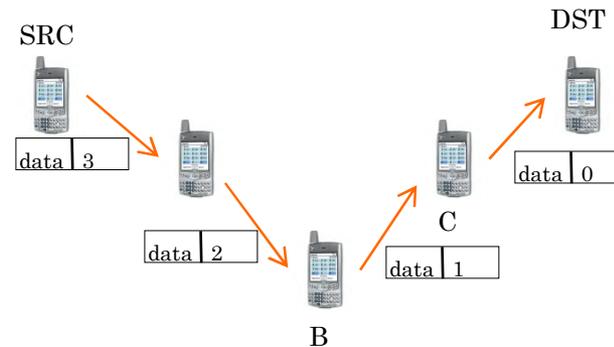
INTRODUCTION

Reputation-based



- Rely on neighbor monitoring to evaluate the reputation of neighbor nodes and excluding nodes with low reputation
- Watchdog: Keeps track of the reputation of neighbor nodes
- Path rater: Avoids routing through nodes with low reputation

Credit-based



- Virtual currency, nuglet, is used to encourage cooperation
- Each packet is loaded with nuglets by the source node
- Each relay node charges a nuglet from the packet before forwarding it

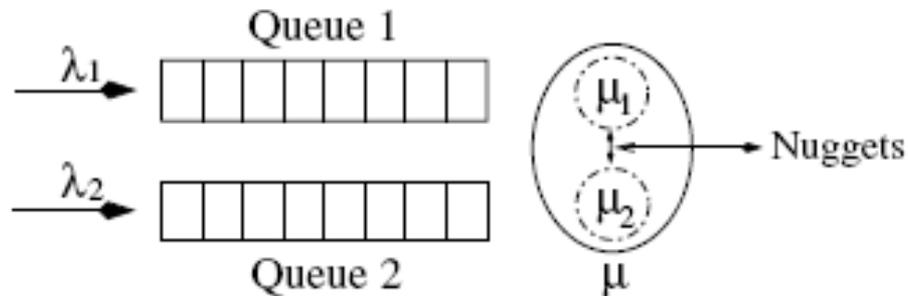
INTRODUCTION

- Cooperation stimulation problem can be interpreted as a resource allocation problem if nodes are assumed to be selfish and rational.
 - Selfish node tends to utilize all of its resource (BW, Power etc), to maximize its benefit
 - Although each node is only interested in transmitting its own data, part of its resource, bandwidth, has to be traded in order to establish a routing path
- An incentive scheme is proposed to encourage cooperation based on credit-based queuing analysis approach

CREDIT-BASED QUEUING ANALYSIS APPROACH

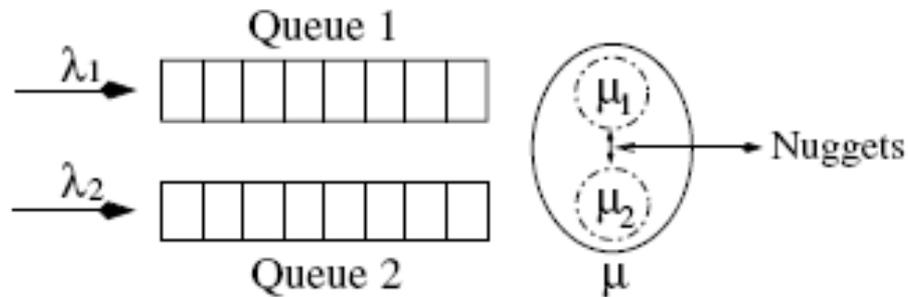
- Queuing model considers bandwidth constraint
- Bandwidth is shared between self generated traffic and relay traffic
- Based on queuing model, selfish node identifies best strategy to allocate bandwidth resource and minimize own packets' drop rate

NODAL MODEL



- Each node has initial number of nuggets: C .
- When node wants to send its own packet, it loses N nuggets by loading the packet with nuggets.
- Each intermediate node earns one nugget when it helps the source node forward a packet.
- Each node maintains two queues:
 - Queue 1 for data packets from neighbors
 - Queue 2 for self generated packets

NODAL MODEL



- λ_1 , λ_2 denote the average arrival rates for queue 1 and queue 2
- μ_1 , μ_2 denote the service rates for queue 1 and queue 2
- $\mu_1 + \mu_2 = \mu$, μ depends on the available bandwidth.
- μ_1 indicates the degree of cooperativity.
- Objective: optimize bandwidth allocation to minimize drop rate of own packets.

STUDY OF A SIMPLE CASE

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- $C=M_1=M_2=N=1$ (M_1, M_2 are maximum queue lengths)
- State $x(i,j,k)$ indicates there is i packets in queue 1, j packets in queue 2, k nuggets available
- According to state transition diagram, we can derive following state equations:

$$(\lambda_1 + \lambda_2)x(0, 0, 0) = \mu_2x(0, 1, 1) \quad (1)$$

$$(\lambda_1 + \lambda_2)x(0, 0, 1) = \mu_1x(1, 0, 0) \quad (2)$$

$$\lambda_1x(0, 1, 0) = \lambda_2x(0, 0, 0) \quad (3)$$

$$(\lambda_1 + \mu_2)x(0, 1, 1) = \lambda_2x(0, 0, 1) + \mu_1x(1, 1, 0) \quad (4)$$

$$(\lambda_2 + \mu_1)x(1, 0, 0) = \lambda_1x(0, 0, 0) + \mu_2x(1, 1, 1) \quad (5)$$

$$\lambda_2x(1, 0, 1) = \lambda_1x(0, 0, 1) \quad (6)$$

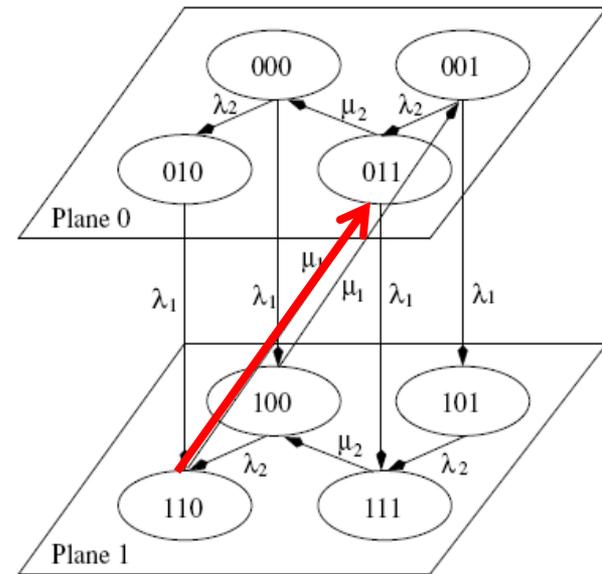
$$\mu_1x(1, 1, 0) = \lambda_1x(0, 1, 0) + \lambda_2x(1, 0, 0) \quad (7)$$

$$\mu_2x(1, 1, 1) = \lambda_1x(0, 1, 1) + \lambda_2x(1, 0, 1) \quad (8)$$

$$\sum_{i=0}^1 \sum_{j=0}^1 \sum_{k=0}^1 x(i, j, k) = 1. \quad (9)$$

- P_d : drop rate of own packets

$$P_d = x(0, 1, 0) + x(0, 1, 1) + x(1, 1, 0) + x(1, 1, 1)$$



- If $\lambda_1 = \lambda_2 = \hat{\lambda}$

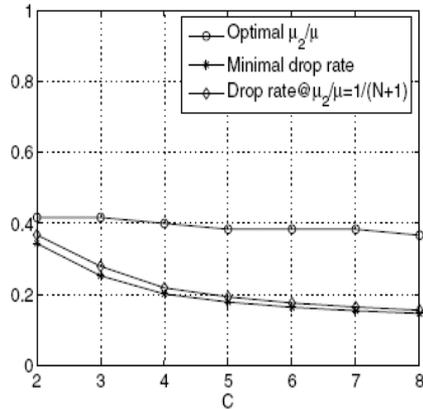
$$P_d = \frac{\hat{\lambda}^3}{\Delta} (4\hat{\lambda}^3\mu + 4\hat{\lambda}^2(\mu^2 - \mu_1\mu_2) + 3\hat{\lambda}(\mu_1^2\mu_2 + \mu_1\mu_2^2) + \mu_1^2\mu_2^2).$$

- The optimal $\mu_1 = \mu_2 = \mu/2$

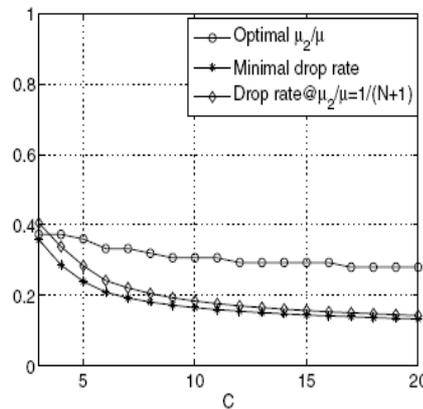
GENERAL QUEUING MODEL

- Markovian model can be extended to general case with arbitrary M_1, M_2, C, N .
- Markovian model has 3 dimensions, the max value for each dimension is M_1, M_2, C respectively.
- Each state (i, j, k) has several transitions to other states. The state transition follow several simple patterns as shown below:
 1. For $0 \leq i \leq M_1 - 1, 0 \leq j \leq M_2, 0 \leq k \leq C$, a transition from (i, j, k) to $(i + 1, j, k)$ with a rate of λ_1 , which represents the reception of a packet in Queue 1;
 2. For $0 \leq i \leq M_1, 0 \leq j \leq M_2 - 1, 0 \leq k \leq C$, a transition from (i, j, k) to $(i, j + 1, k)$ with a rate of λ_2 , which represents the arrival of a self generated packet;
 3. For $1 \leq i \leq M_1, 0 \leq j \leq M_2, 0 \leq k \leq C - 1$, a transition from (i, j, k) to $(i - 1, j, k + 1)$ with a rate of μ_1 , which represents the transmission of a packet in Queue 1 and the gain of one nugget;
 4. For $0 \leq i \leq M_1, 1 \leq j \leq M_2, N \leq k \leq C$, a transition from (i, j, k) to $(i, j - 1, k - N)$ with a rate of μ_2 , which represents the departure of a self generated packet and the deduction of N nuggets.

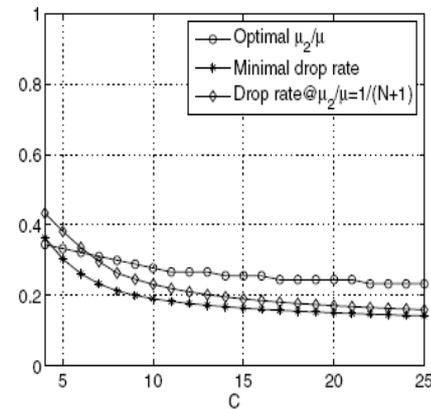
NUMERIC RESULTS



(a) $N = 2$, $\mu = 12$, and $\lambda_1 = 2\lambda_2 = 6$.



(b) $N = 3$, $\mu = 15$, $\lambda_1 = 3\lambda_2 = 9$.

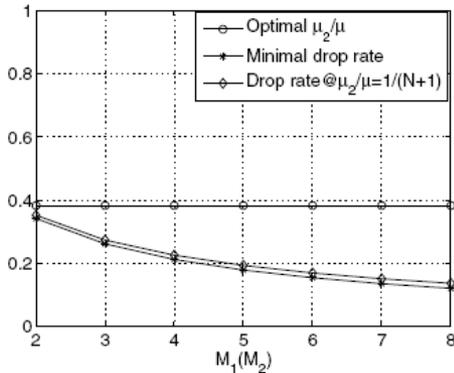


(c) $N = 4$, $\mu = 18$, $\lambda_1 = 4\lambda_2 = 12$.

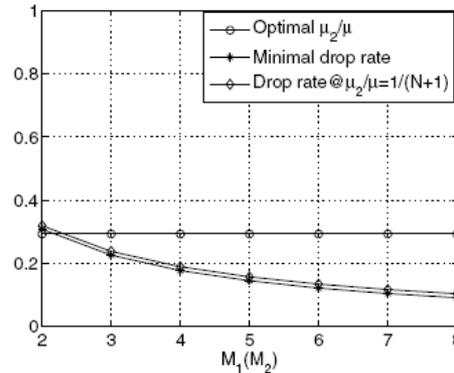
Impact of C on optimal $\frac{\mu_2}{\mu}$, with $M_1 = M_2 = 5$, $\lambda_2 = 3$, $\lambda_1 = N\lambda_2$.

- The drop rate does not change much when C is greater than certain value.
- When C is sufficient large, the dropping rate at $\frac{\mu_2}{\mu} = \frac{1}{N+1}$ is close to the minimal drop rate

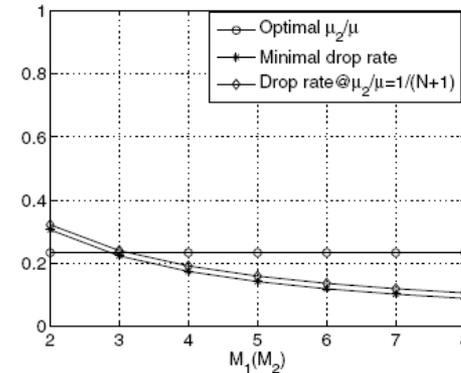
NUMERICAL RESULTS



(a) $N = 2$, $\mu = 12$, and $C = 5$.



(b) $N = 3$, $\mu = 15$, and $C = 15$.



(c) $N = 4$, $\mu = 18$, and $C = 25$.

Impact of $M_1(M_2)$ on optimal $\frac{\mu_2}{\mu}$ with $\lambda_2 = 3$, $\lambda_1 = N\lambda_2$.

- The drop rate does not change much when M is greater than certain value.
- When M is sufficient large, the dropping rate at $\frac{\mu_2}{\mu} = \frac{1}{N+1}$ is close to the minimal drop rate

NUMERICAL RESULTS

- Under small C and/or M , the optimal μ_2/μ deviates from $1/(N+1)$. The larger the N , the bigger the deviation.
 - When C is small, a node can accumulate C nuggets quickly and refuses relaying data packets
 - When M is small, the queue is more likely to overflow
- When C and M are large enough, the optimal μ_2/μ converges to $1/(N+1)$.
 - It is reasonable since it consumes N nuggets to transmit one self-generated packet. Thus the optimal ratio should be around $1/(N+1)$.

DISCUSSION

- In order to using the queuing analysis model, parameters (λ_1 , λ_2 , μ , M_1 , M_2 , C , N) should be known beforehand
 - M_1 , M_2 , C are pre-determined by the incentive mechanism
 - λ_2 is the arrival rate of self-generated traffic, which is known
 - λ_1 , μ , N are dynamic and need more work
- Sliding window-based linear autoregressive model is employed to estimate λ_1
- $\mu = W/(K+1)$, W : total bandwidth, K : neighbors number
- N depends on the routing path selection

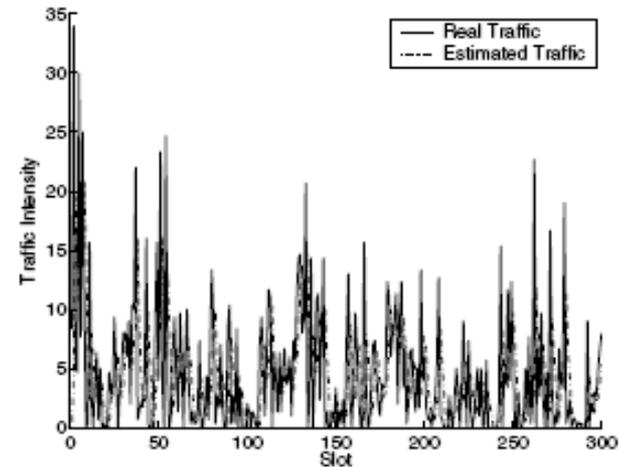
NETWORK SIMULATION

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Default Simulation Setup

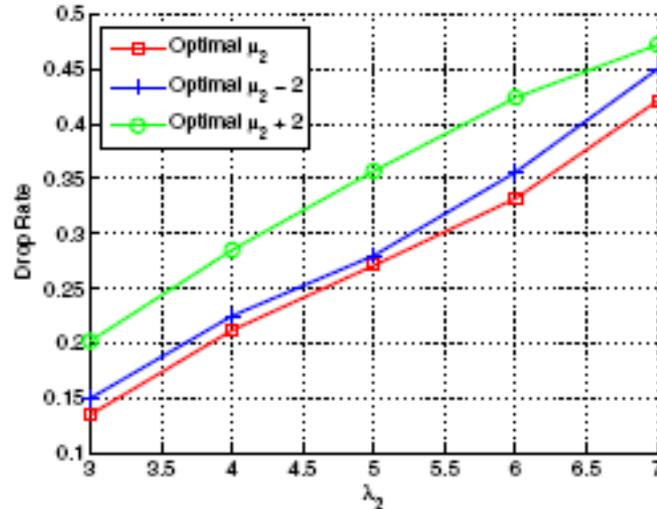
Number of Mobile Nodes	30
Area	100m*100m
Radio Range	30m
W	180 pkts/sec
λ_2	5 pkts/sec
C	80
M_1/M_2	25
Mobile Pattern	Random way point

$$\lambda_1'(n) = 0.5\lambda_1(n-1) + 0.3\lambda_1(n-2) + 0.2\lambda_1(n-3)$$



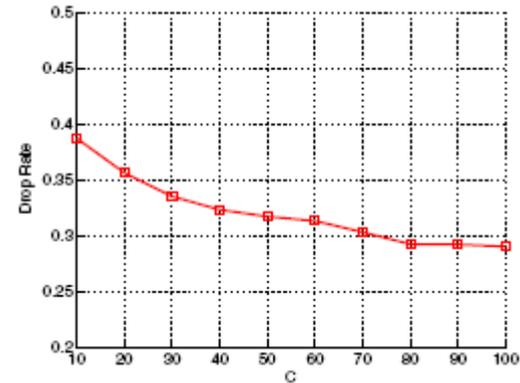
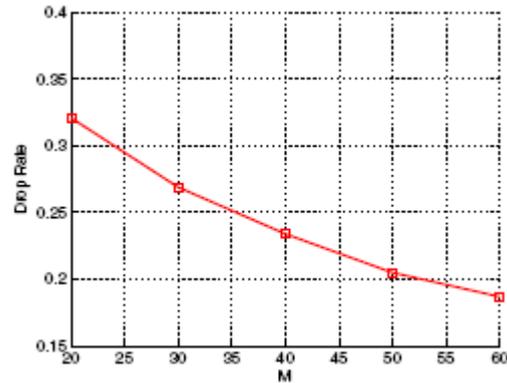
Linear autoregressive
Estimation of forwarding traffic

NETWORK SIMULATION



- The figure shows the network-wide average drop rate under different traffic load (λ_2) and different bandwidth allocation schemes.
- The drop rate increases with the increase of λ_2 .
- Lowest drop rate achieved when μ_2 equals to optimal value derived by the Markov model.
- The observation testifies the correctness of the model and effectiveness of the credit-based incentive scheme.

NETWORK SIMULATION



- The left figure shows the impact of M.
- With the increase of M, the probability of dropout due to buffer overflow decreases.
- When M is sufficient large, the further increasing queue size doesn't help much.

- The right figure shows the impact of C.
- With the increase of C, the drop rate decreases.
- When C is sufficient large, data delivery is no longer improved by increasing C, since the consumption and earning of nuggets at a node have reached a dynamic balance.

CONCLUSION

- An credit-based incentive mechanism is proposed to stimulate the cooperation among selfish nodes.
- Markov chain model is established to analyze the packet dropping probability, with given total bandwidth, buffer space, and the maximum credit.
- Bandwidth allocation has been optimized so that the dropping probability of a nodes' own packets is minimized.
- Considering the bandwidth constraint is a main contribution of the work.
- Simulation results show that the approach can effectively enable cooperation among selfish nodes and minimize overall packet dropping probability.

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QUESTION AND ANSWER

